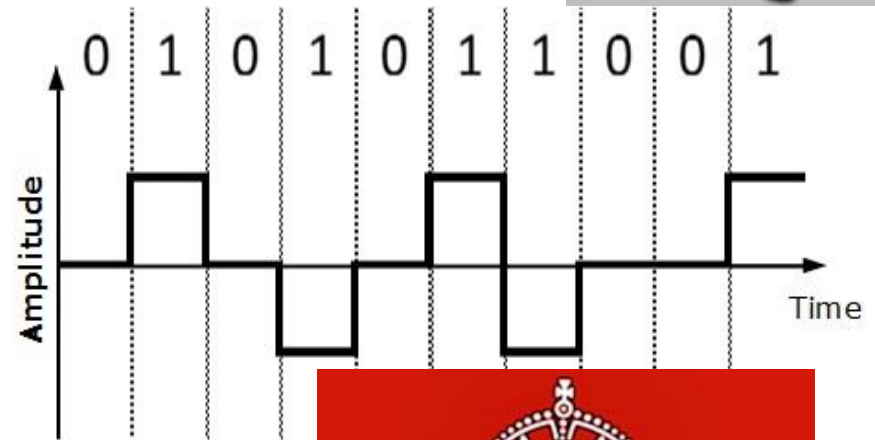
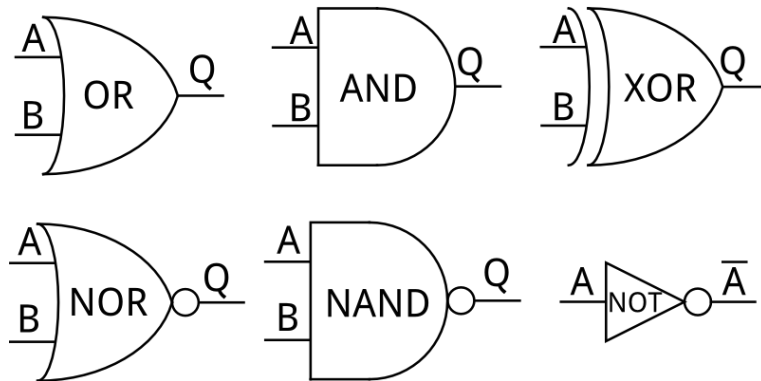


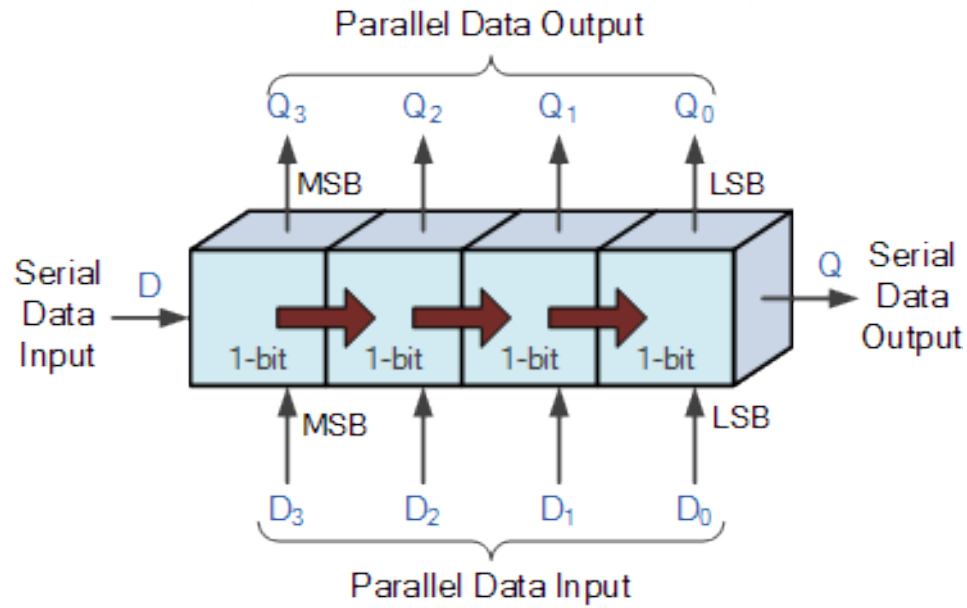
Proiectare Logica

Digital Logic Design

Curs 11



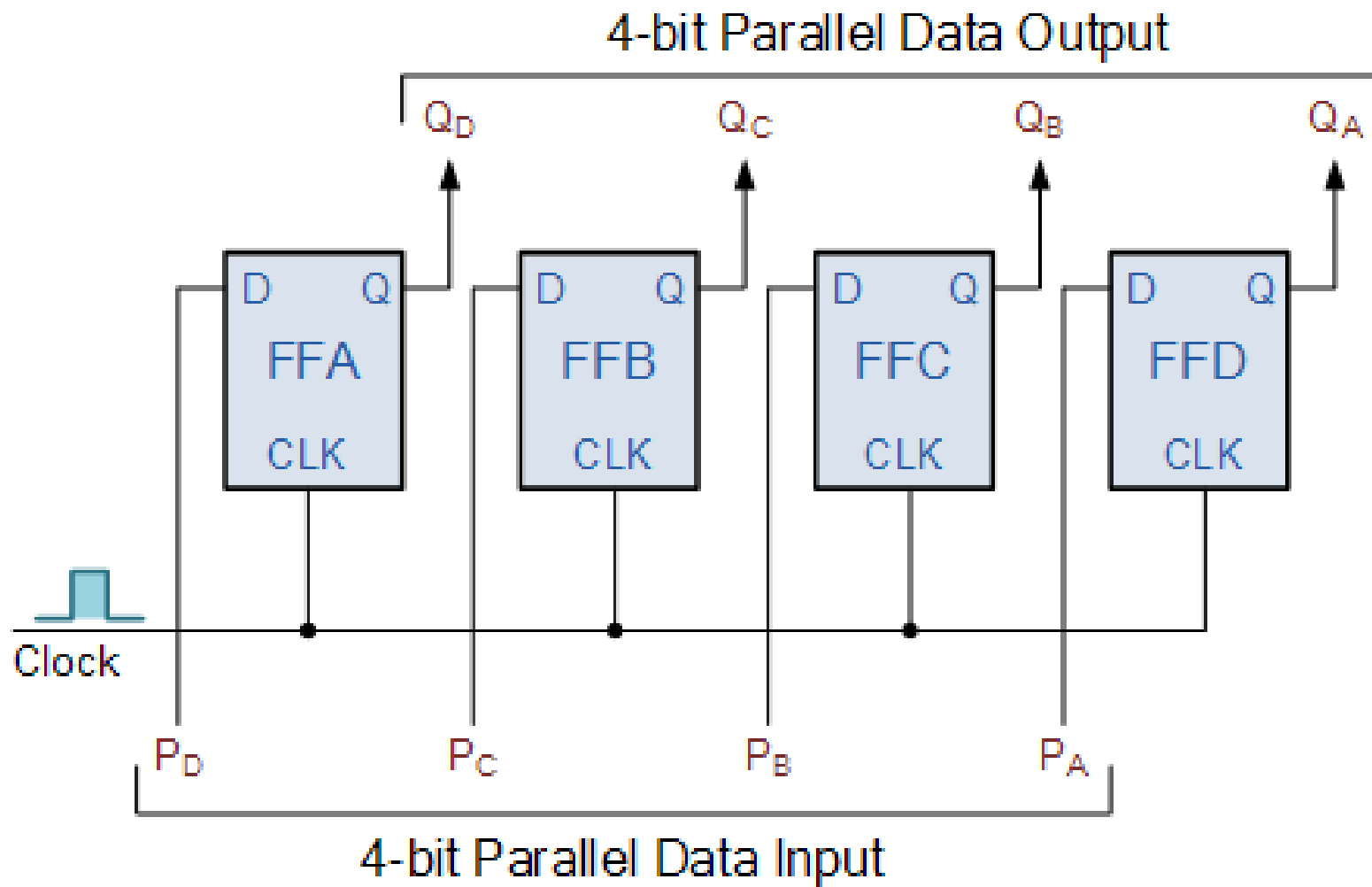
REGISTR



- Seriali
- Paraleli
- Micsti

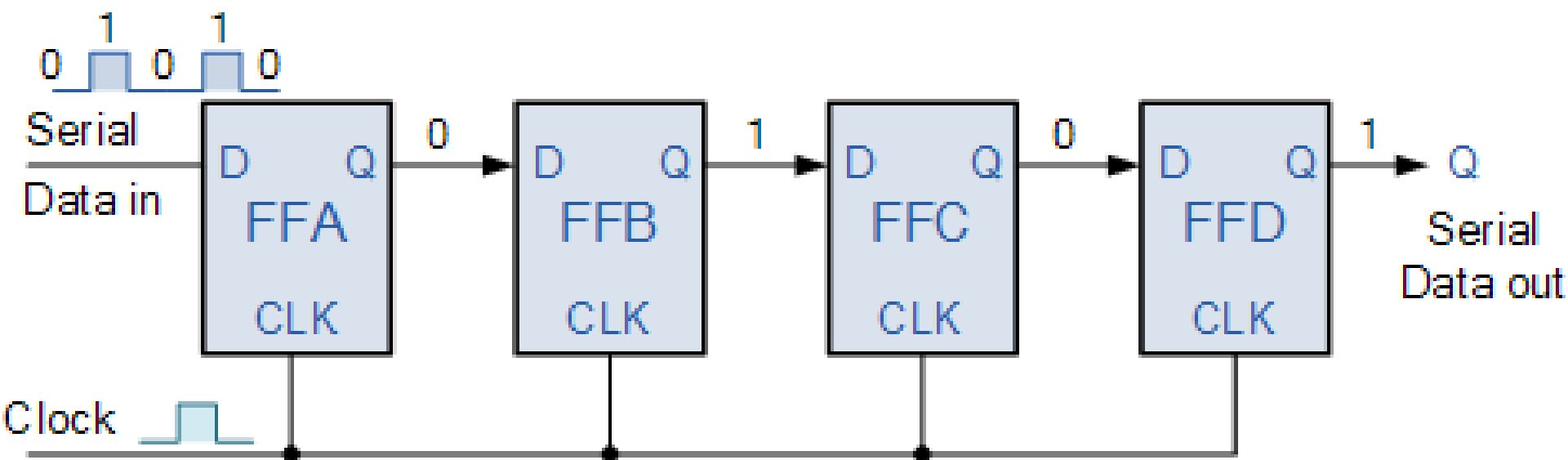
Registrii paraleli

- Cu BB de tip D



Registrii seriali

- Se mai numesc registrii de deplasare



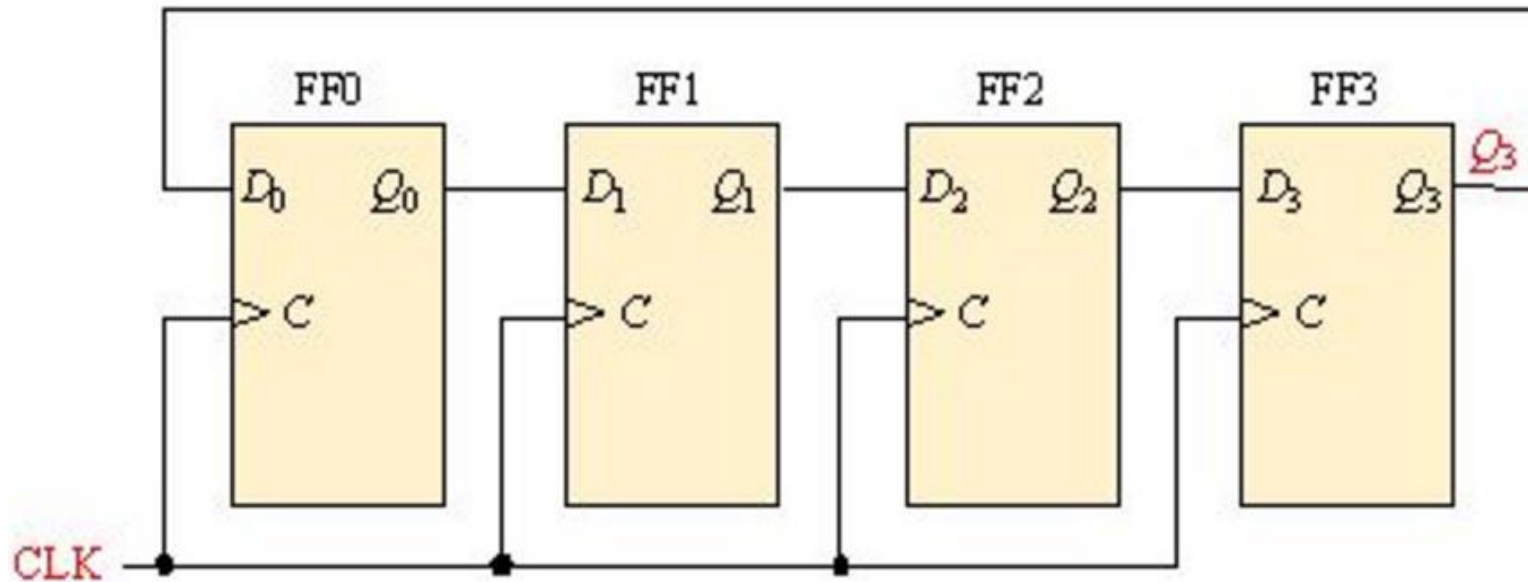


Registrii de deplasare circulara

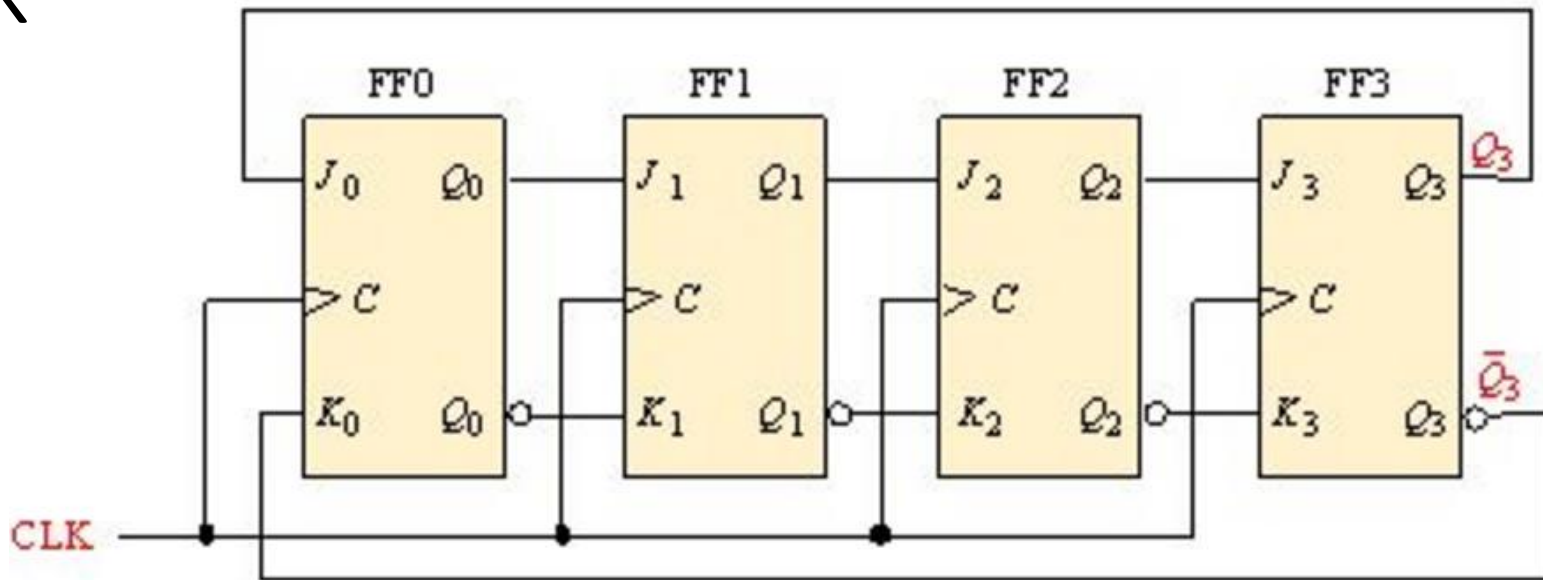
Ring counters

Numarator in inel

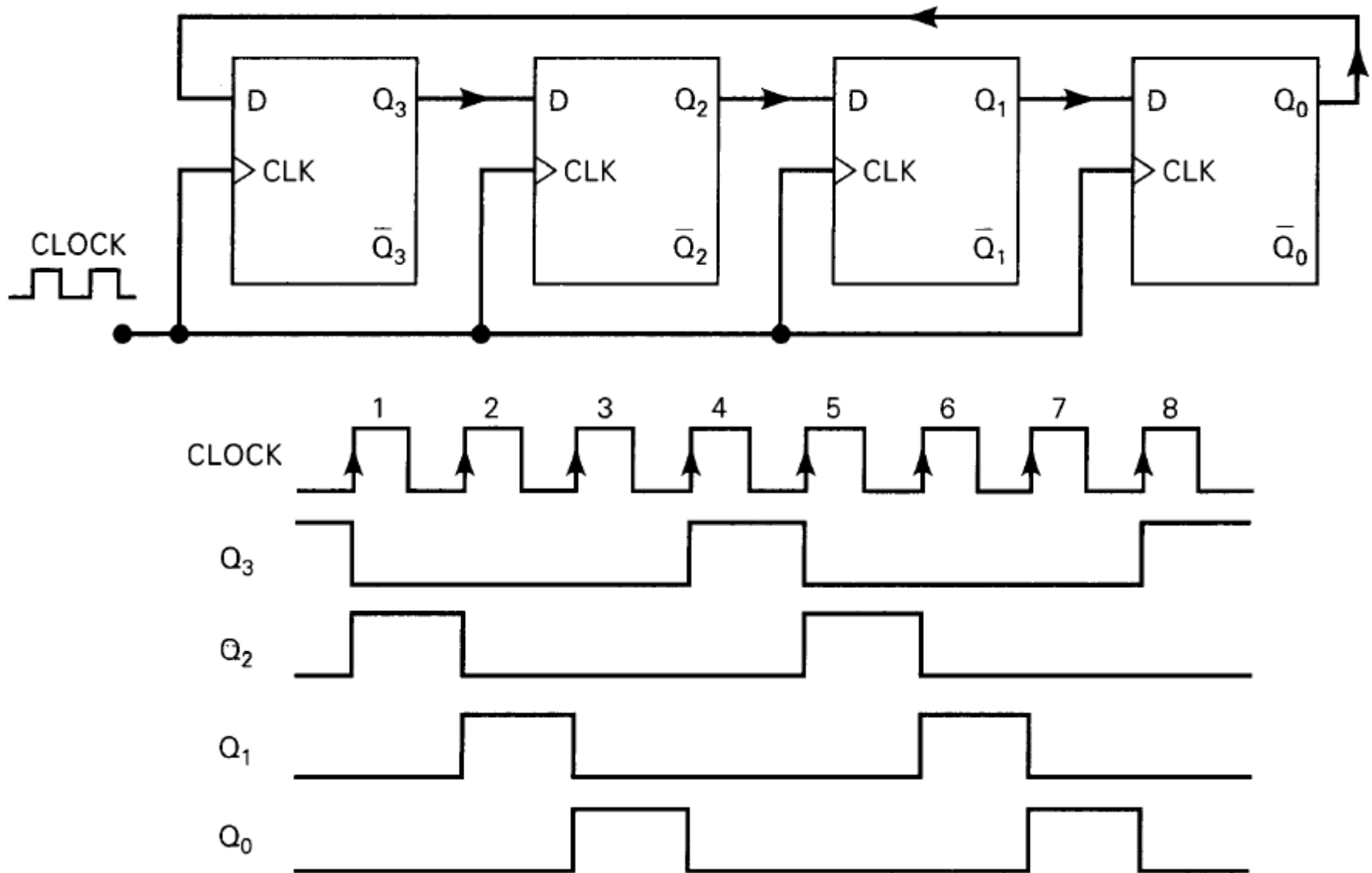
- Cu BB D



- Cu BB JK

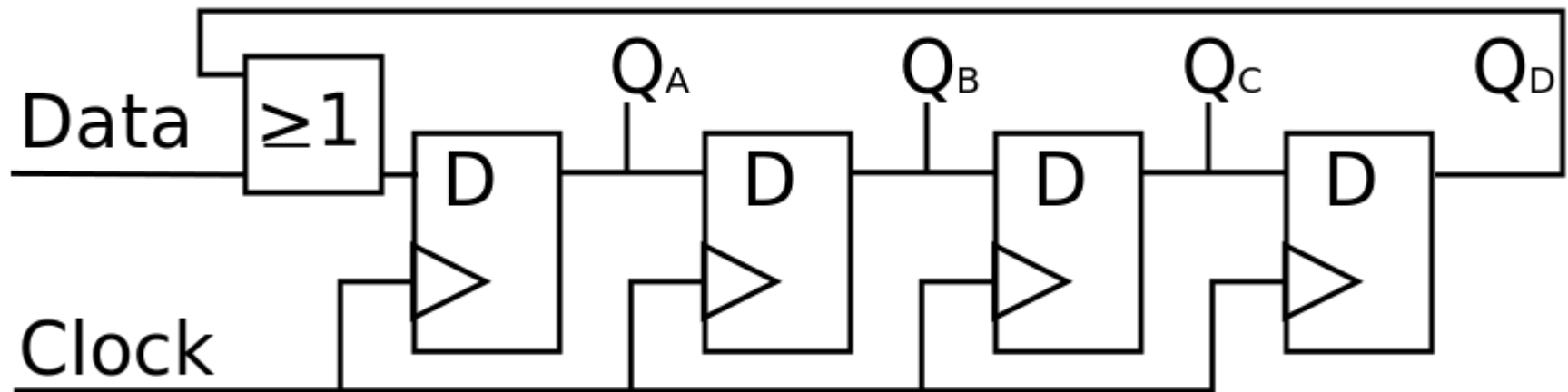


Registru de deplasare circular

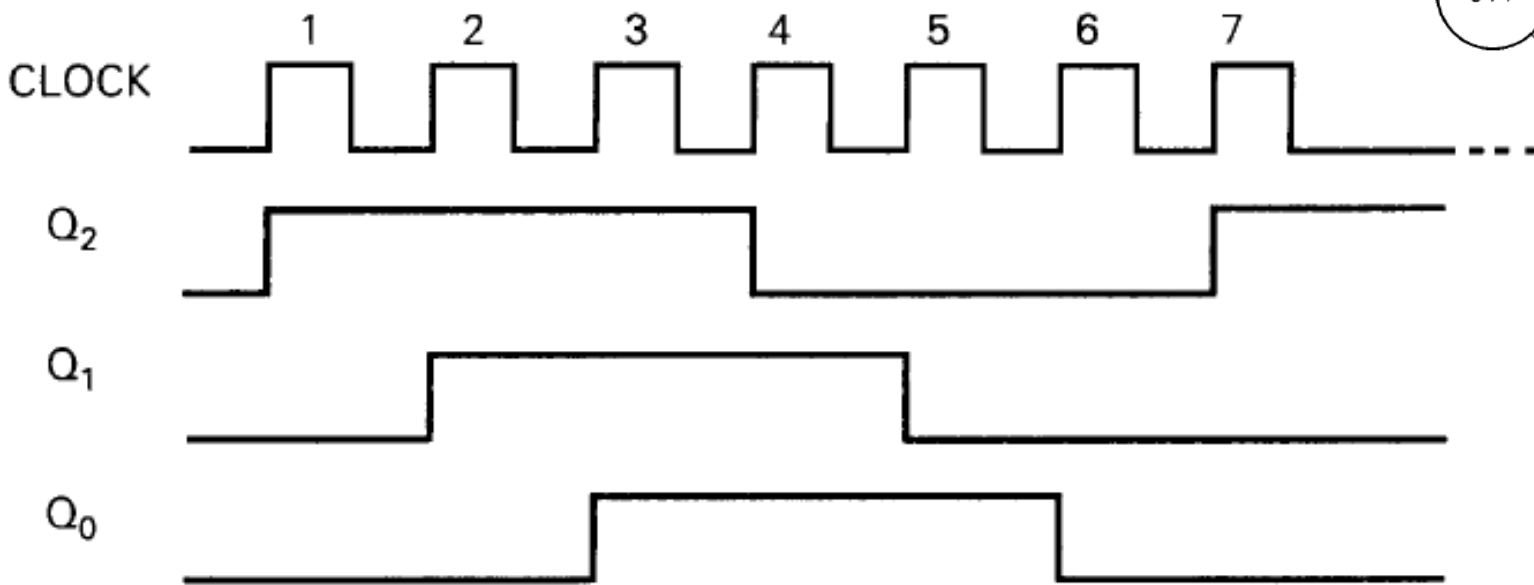
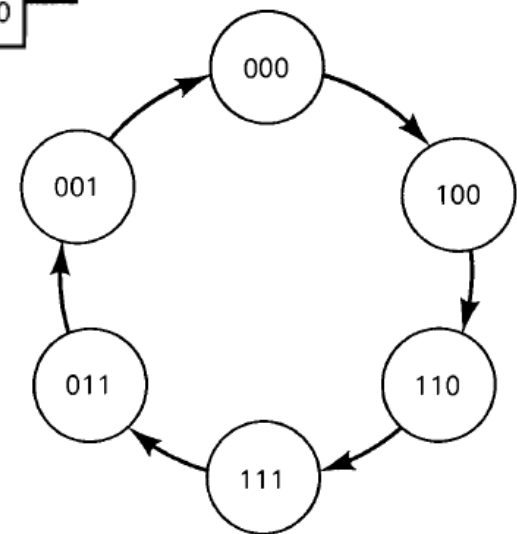
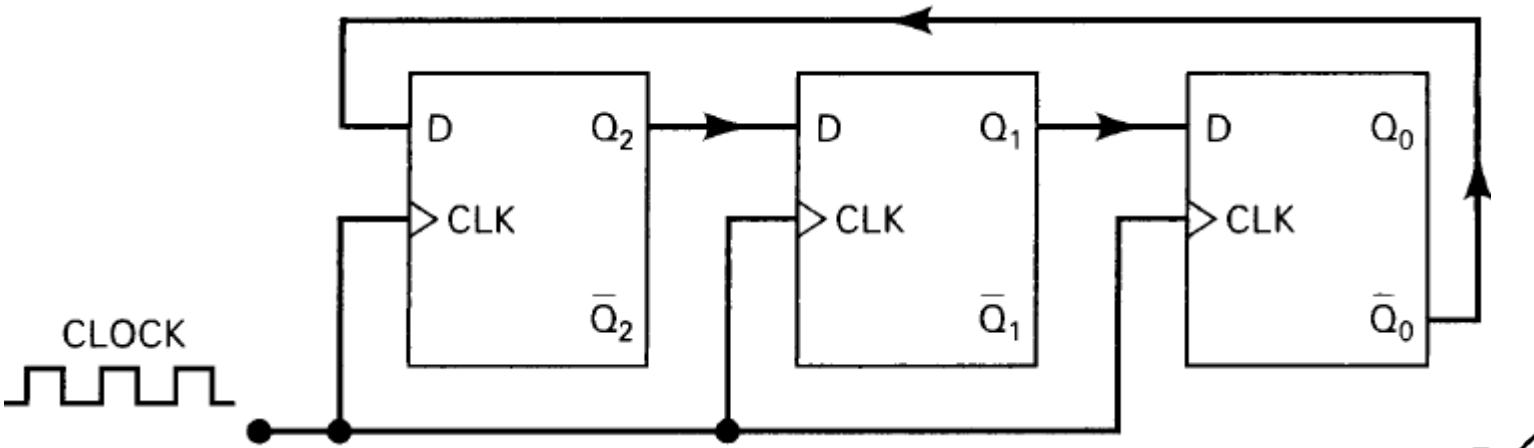


Registru de deplasare circular

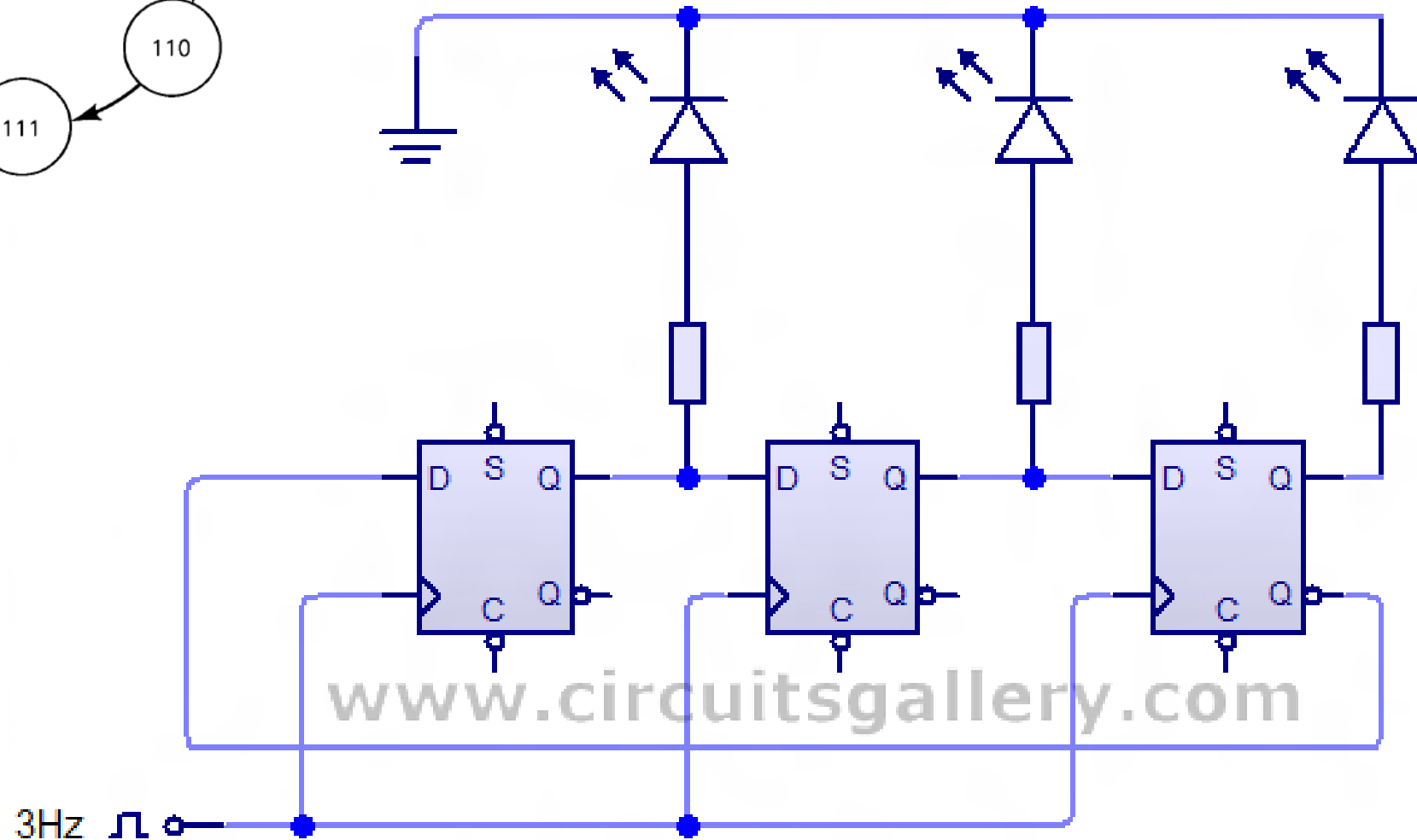
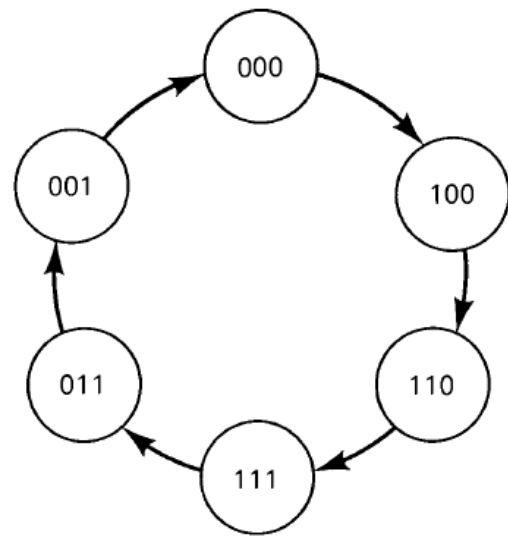
- Problema cu acest numerator este ca daca se "trezeste" in starea 0000 ramane acolo indefinit.
- O solutie de rezolvare a acestei problema este reprezentata in schema de mai jos.



Numarator Johnson

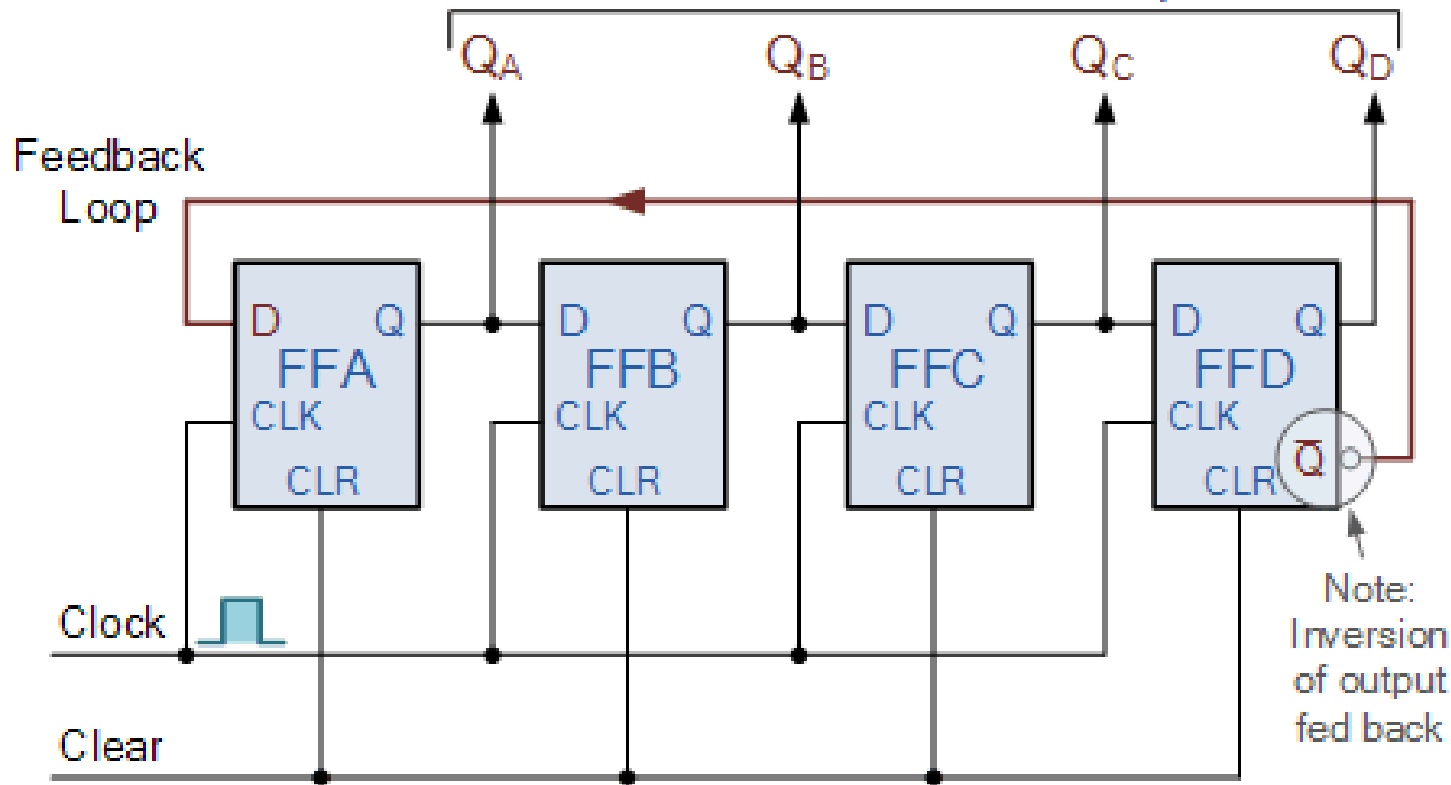


Numarator Johnson



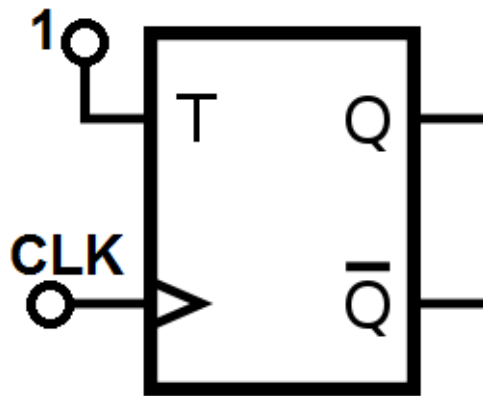
Numarator Johnson

4-bit Parallel Data Output



TEMA: Folosind pagina

"[Generator de functii de unda logice.htm](http://Generator%20de%20functii%20de%20unda%20logice.htm)" desenati formele de unda pentru semnalele CLOCK, CLEAR, A, B, C si D.



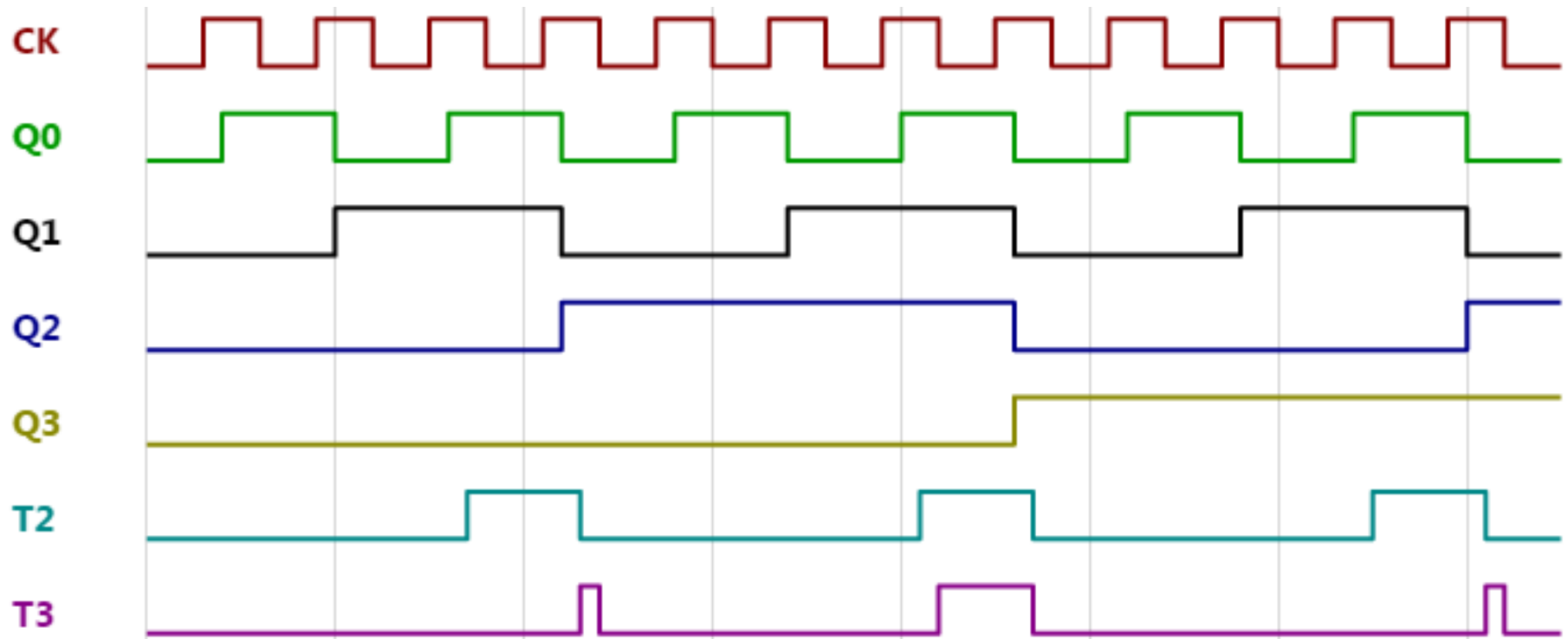
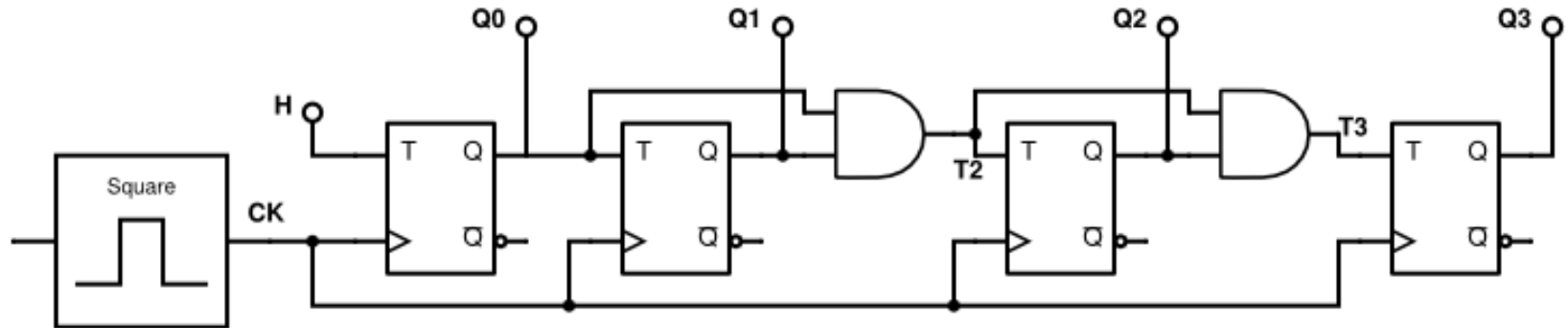
Inputs		Output	State
CLK	T	$Q_{(n+1)}$	
↑	0	Q_n	No Change
↑	1	$\text{not}(Q_n)$	Toggle

NUMARATOARE SINCRONE

Synchronous (Parallel) Counters

Numaratoare Sincrone

NU toti bistabilii au intrarile T conectate la H.



Numarator crescator cu 3 BB de tip D – **D0**

Dorim sa facem un numarator crescator cu 3 BB de tip D

Q2	Q1	Q0	D2	D1	D0
0	0	0	0	0	1
0	0	1	0	1	0
0	1	0	0	1	1
0	1	1	1	0	0
1	0	0	1	0	1
1	0	1	1	1	0
1	1	0	1	1	1
1	1	1	0	0	0

D0

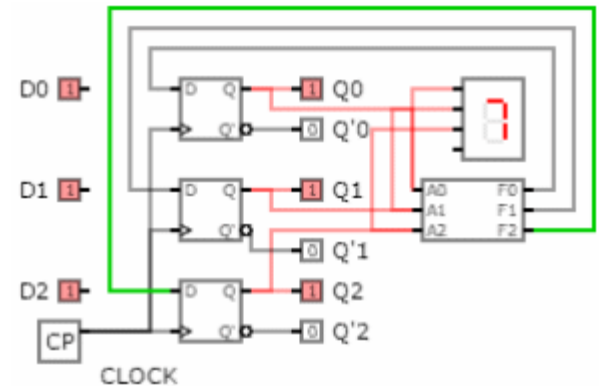


Tabela de adevar

A	B	C	F (ABC)
0	0	0	1
0	0	1	0
0	1	0	1
0	1	1	0
1	0	0	1
1	0	1	0
1	1	0	1
1	1	1	0

Diagrama Karnaugh

		AB			
		00	01	11	10
C	0	1	1	1	1
	1	0	0	0	0

$$F(ABC) = \overline{C}$$

$$D0 = F0(Q2Q1Q0) = \overline{Q0}$$

Numarator crescator cu 3 BB de tip D – **D1**

- Dorim sa facem un numarator crescator cu 3 BB de tip D

Q2	Q1	Q0	D2	D1	D0
0	0	0	0	0	1
0	0	1	0	1	0
0	1	0	0	1	1
0	1	1	1	0	0
1	0	0	1	0	1
1	0	1	1	1	0
1	1	0	1	1	1
1	1	1	0	0	0

D1

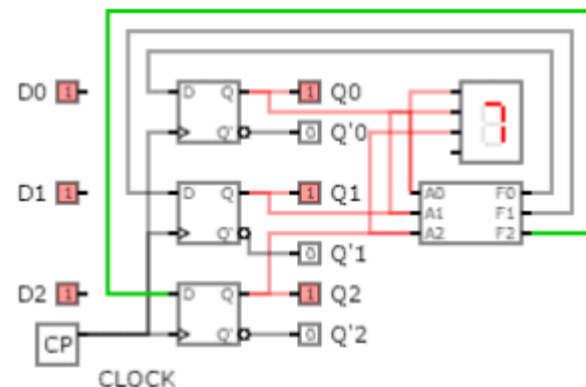


Tabela de adevar

A	B	C	F(ABC)
0	0	0	0
0	0	1	1
0	1	0	1
0	1	1	0
1	0	0	0
1	0	1	1
1	1	0	1
1	1	1	0

Diagrama Karnaugh

		AB			
		00	01	11	10
C	0	0	1	1	0
	1	1	0	0	1

$$F(ABC) = B \bar{C} + \bar{B} C$$

$$D1 = F1(Q2Q1Q0) = Q1 \cdot \bar{Q0} + \bar{Q1} \cdot Q0$$

Numarator crescator cu 3 BB de tip D – **D2**

Dorim sa facem un numarator crescator cu 3 BB de tip D

Q2	Q1	Q0	D2	D1	D0
0	0	0	0	0	1
0	0	1	0	1	0
0	1	0	0	1	1
0	1	1	1	0	0
1	0	0	1	0	1
1	0	1	1	1	0
1	1	0	1	1	1
1	1	1	0	0	0

D2

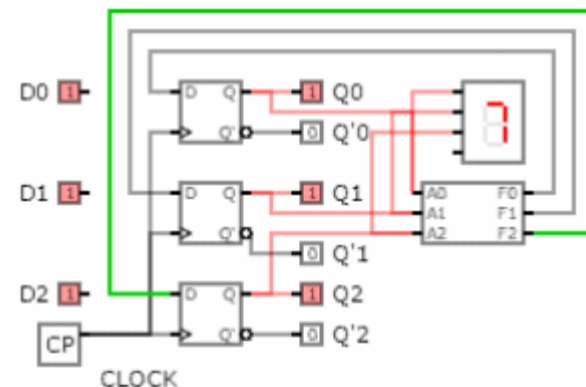


Tabela de adevar

A	B	C	F(ABC)
0	0	0	0
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	1
1	1	0	1
1	1	1	0

Diagrama Karnaugh

		AB			
		00	01	11	10
C	0	0	0	1	1
	1	0	1	0	1

$$F(ABC) = A \bar{C} + A \bar{B} + \bar{A} B C$$

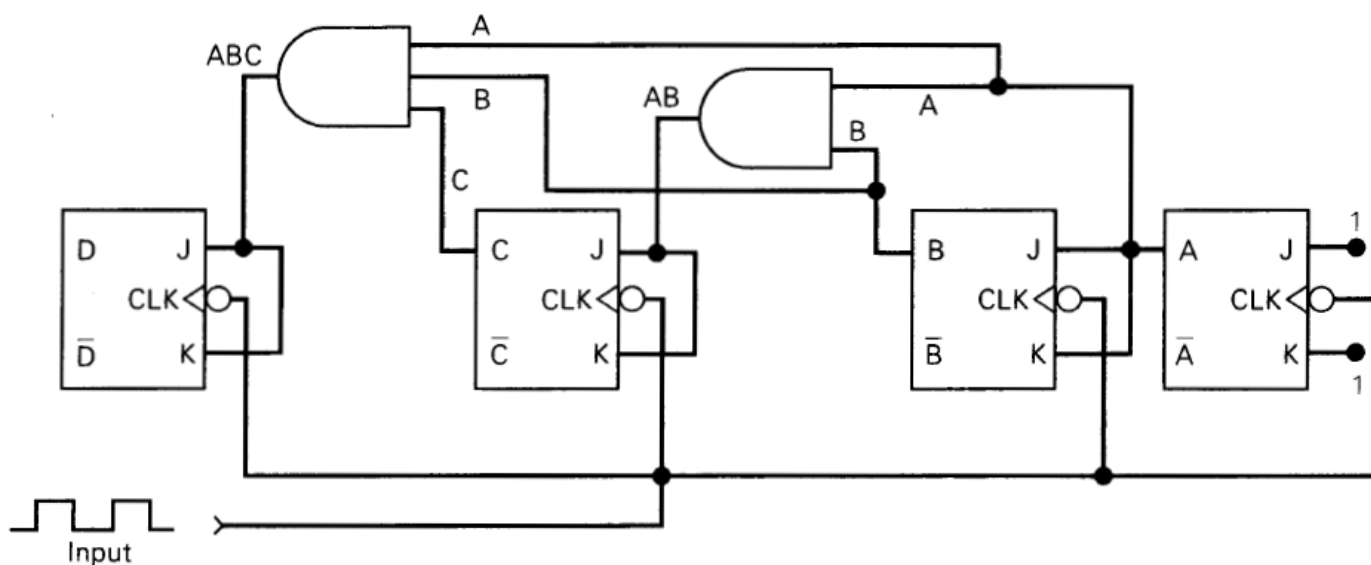
$$D2 = F2(Q2Q1Q0) = Q2 \cdot \bar{Q0} + Q2 \cdot \bar{Q1} + \bar{Q2} \cdot Q1 \cdot Q0$$

- [illegible]

Numarator MOD 16 sincron (2)

- $JK_B = Q_A$
- $JK_C = Q_B Q_A$
- $JK_D = Q_C Q_B Q_A$

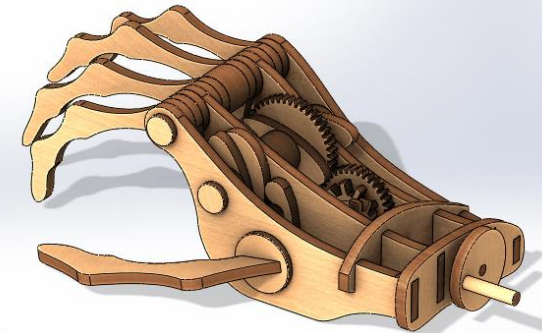
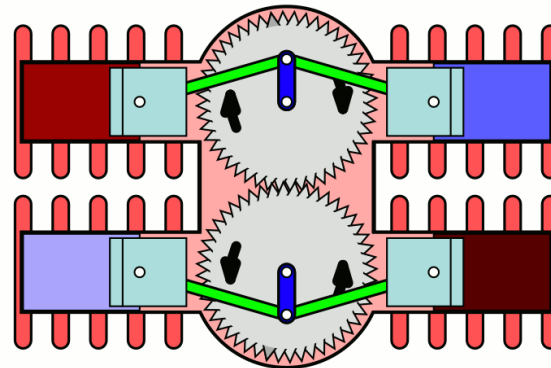
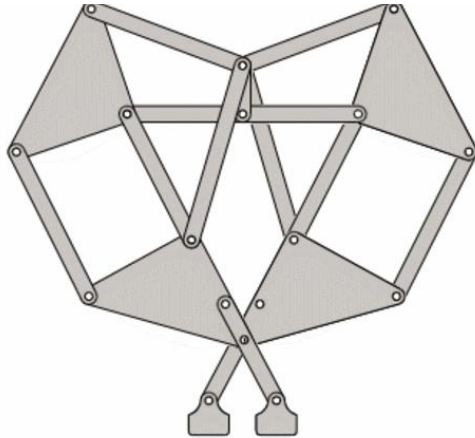
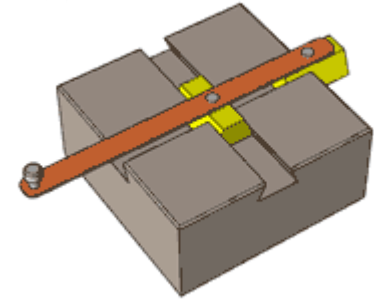
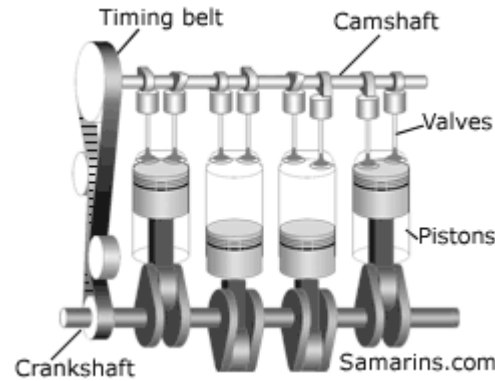
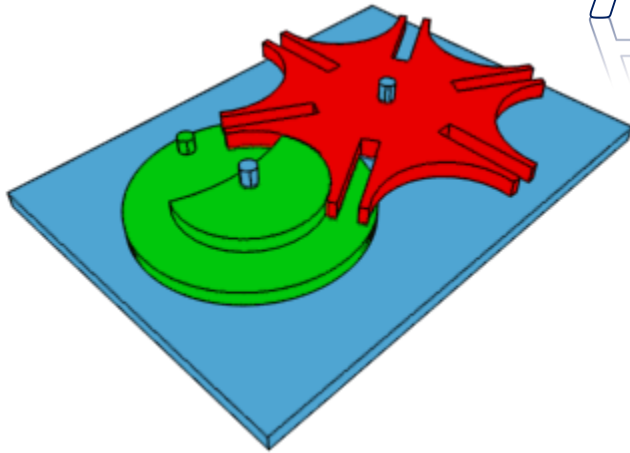
BB JK schimba starea numai cand JK=1



Count	D	C	B	A
0	0	0	0	0
1	0	0	0	1
2	0	0	1	0
3	0	0	1	1
4	0	1	0	0
5	0	1	0	1
6	0	1	1	0
7	0	1	1	1
8	1	0	0	0
9	1	0	0	1
10	1	0	1	0
11	1	0	1	1
12	1	1	0	0
13	1	1	0	1
14	1	1	1	0
15	1	1	1	1
0	0	0	0	0

Fiecare BB are intrarile JK in HIGH numai cand toti bistabilii anteriori sunt in HIGH.

AUTOMATELE



AUTOMATON - a machine which performs a range of functions according to a predetermined set of coded instructions

Automate celebre

- [Maillardet's automaton at the Franklin Institute.webm](#)



Automat cu stari finite

Finite-State Machine (FSM) or Finite-State Automaton

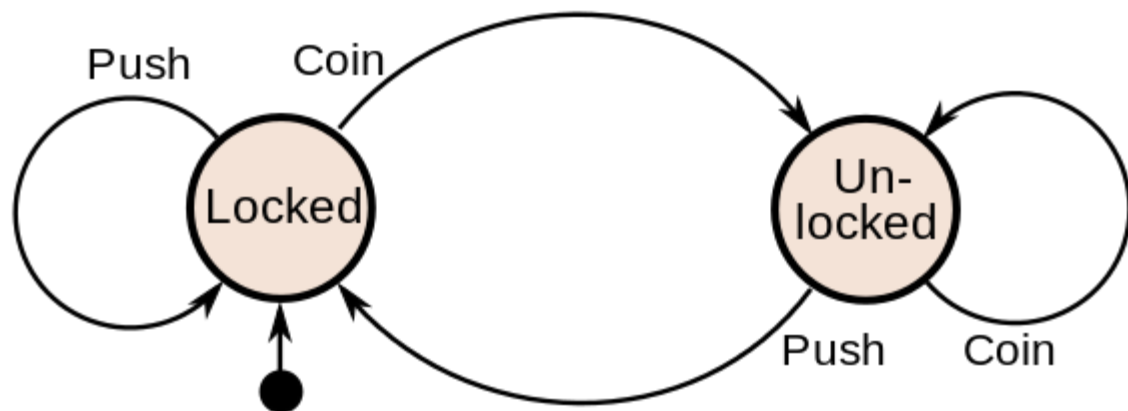
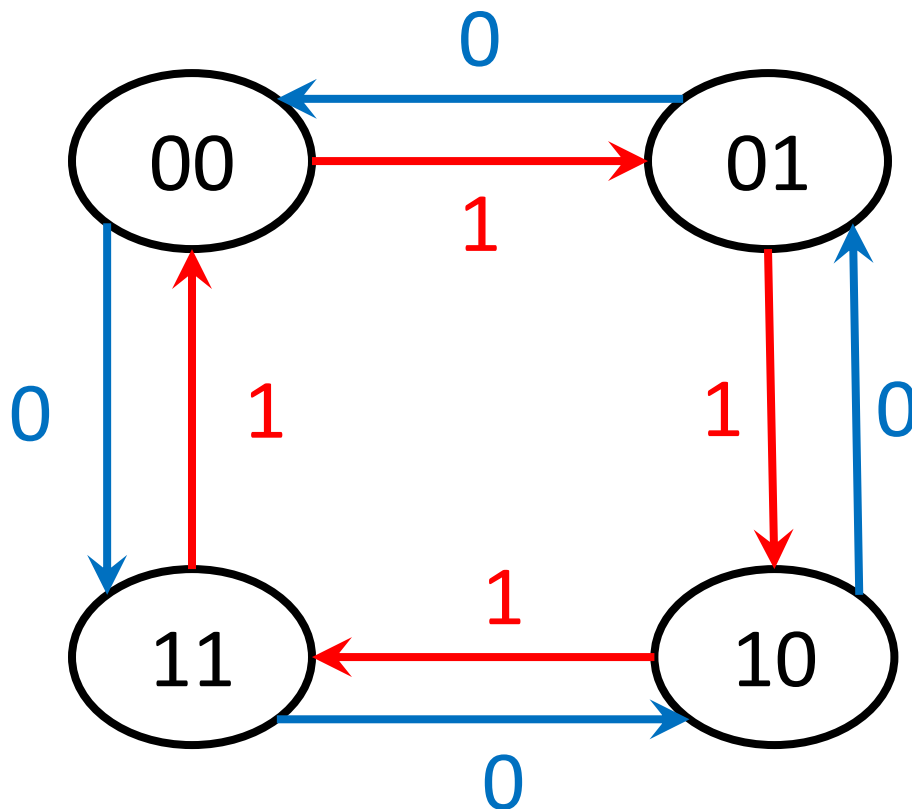


Diagrama de stari $\Leftrightarrow$ Graf orientat
Noduri $\rightarrow$ Stari
Laturi $\rightarrow$ Variabile de intrare

Primul automat cu stari finite

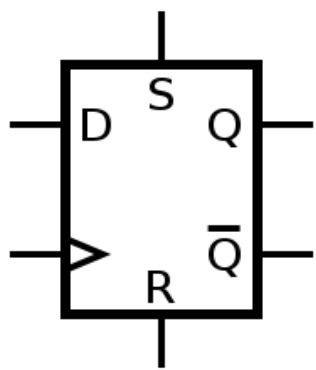
Fie un automat ale carui functionare depinde de starea unei variabile de intrare notata cu X.

- Daca X este in starea 1 atunci automatul numara direct
- Daca X este in starea 0 atunci automatul numara invers



Primul automat cu stari finite (2)

- Dorim sa construim acest automat cu bistabili de tip D. Intrucat sunt implicate 4 stari avem nevoie de doi bistabili de tip D.
- Problema noastra este de a construi circuite de reactie pentru intrarile D0 si D1.
- Mai precis avem nevoie sa derminam doua functii:
 $D0=f(Q0,Q1,X)$ si $D1=g(Q0,Q1,X)$



S	R	D	CK	Q	$\bar{Q}$
1	0	-	-	1	0
0	1	-	-	0	1
1	1	1	↑	1	0
1	1	0	↑	0	1

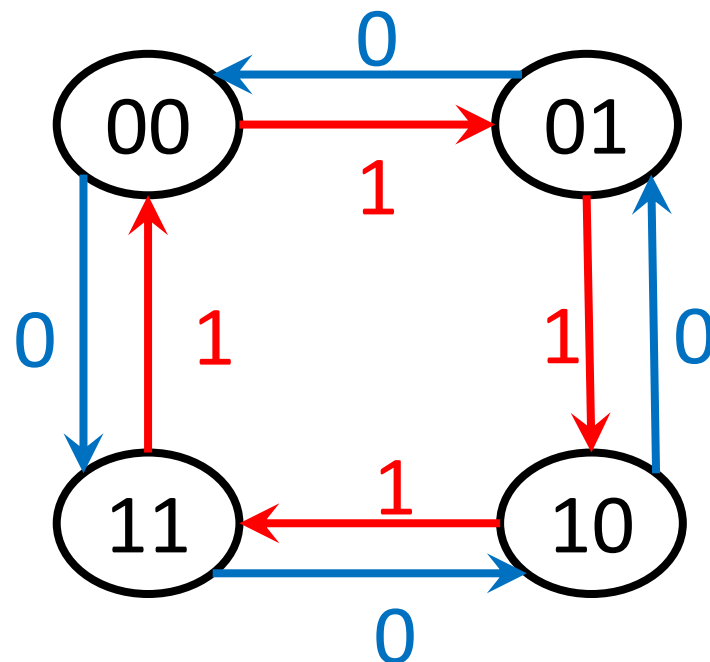
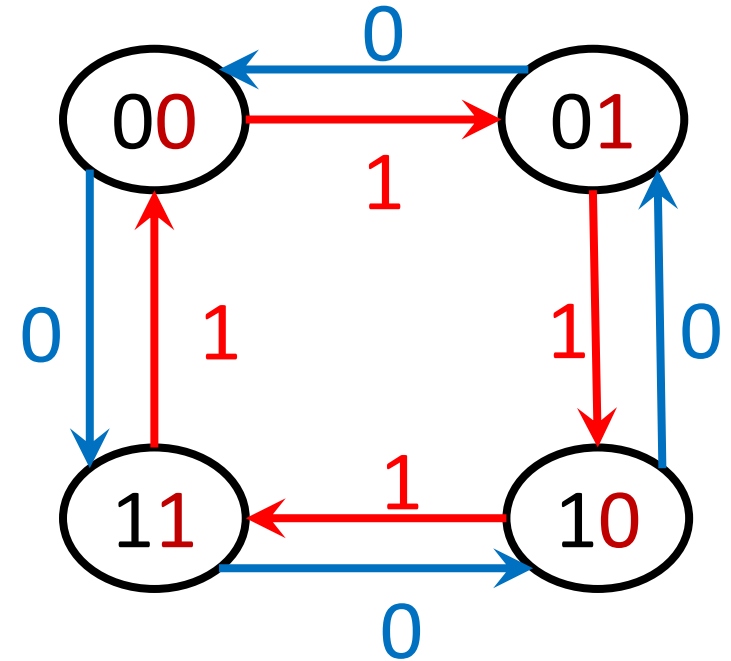


Diagrama pentru D0

		X	
		0	1
Q_1Q_0	00	1	1
	01	0	0
	11	0	0
	10	1	1



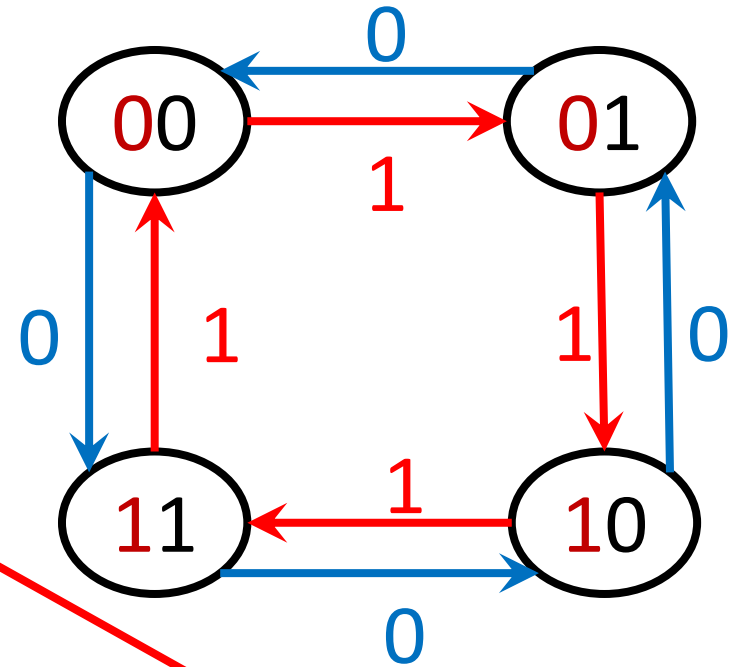
Viitoare Stari

$$D_0 = \overline{Q_0}$$

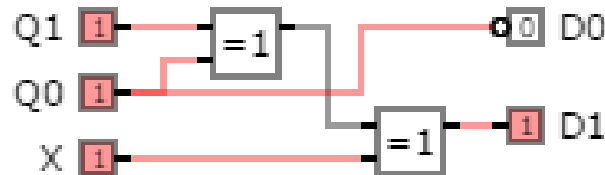
Nu depinde de X

Diagrama pentru D1

$D_1 =$		X	
$(Q_1 \oplus Q_0) \oplus X$		0	1
$Q_1 Q_0$	00	1	0
	01	0	1
	11	1	0
	10	0	1



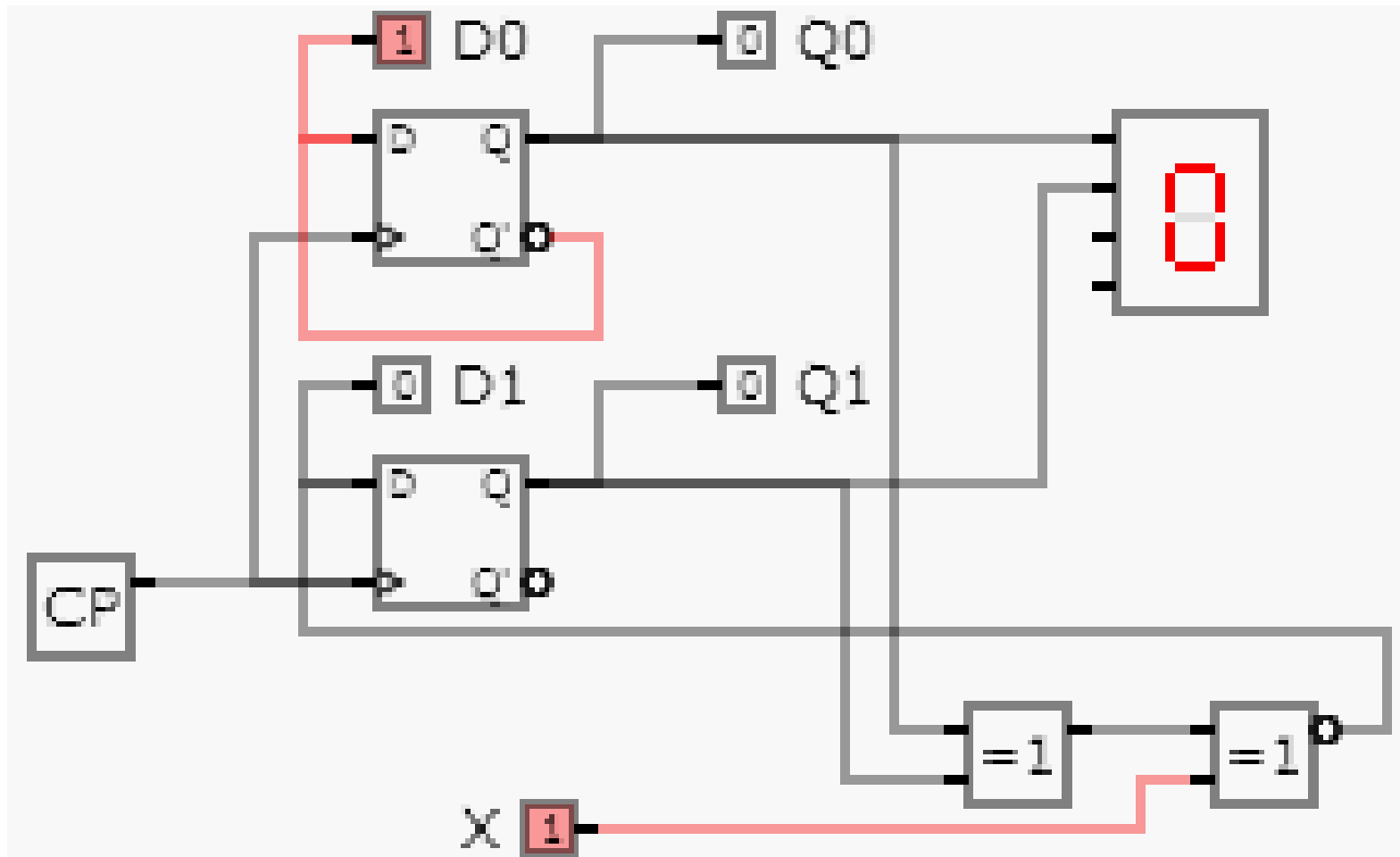
$$D_1 = \overline{Q_1} \cdot \overline{Q_0} \cdot \overline{X} + Q_1 \cdot Q_0 \cdot \overline{X} + Q_1 \cdot \overline{Q_0} \cdot X + \overline{Q_1} \cdot Q_0 \cdot X$$



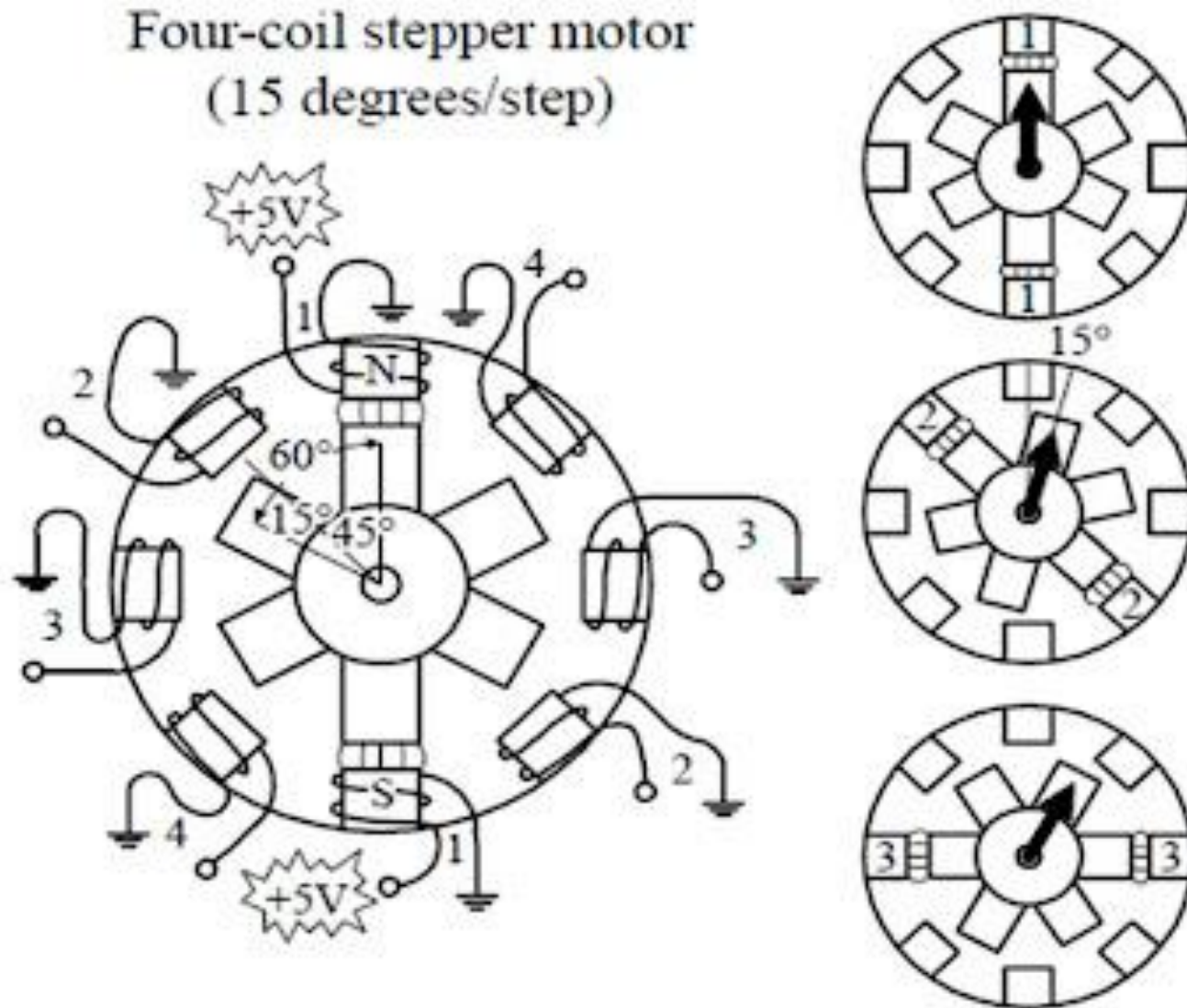
Simularea automatului

$$D_0 = \overline{Q_0}$$

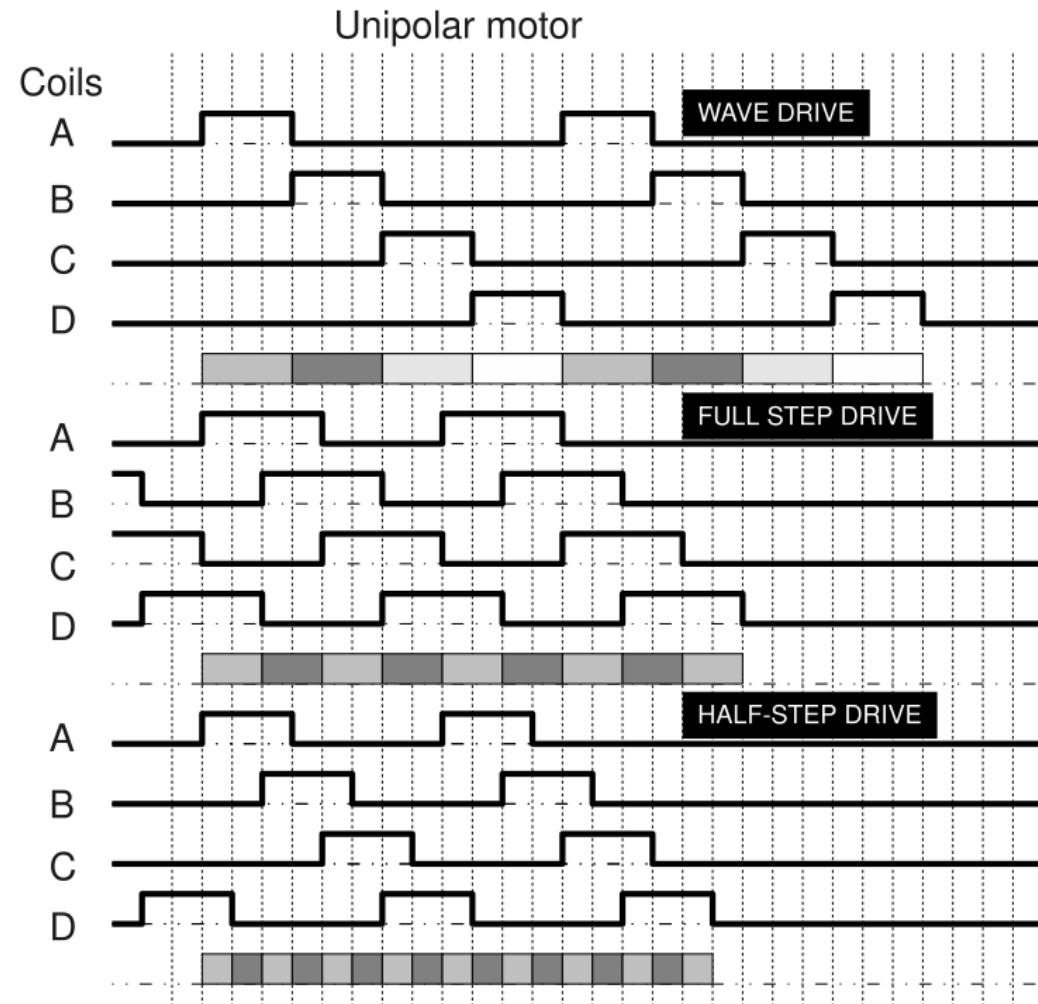
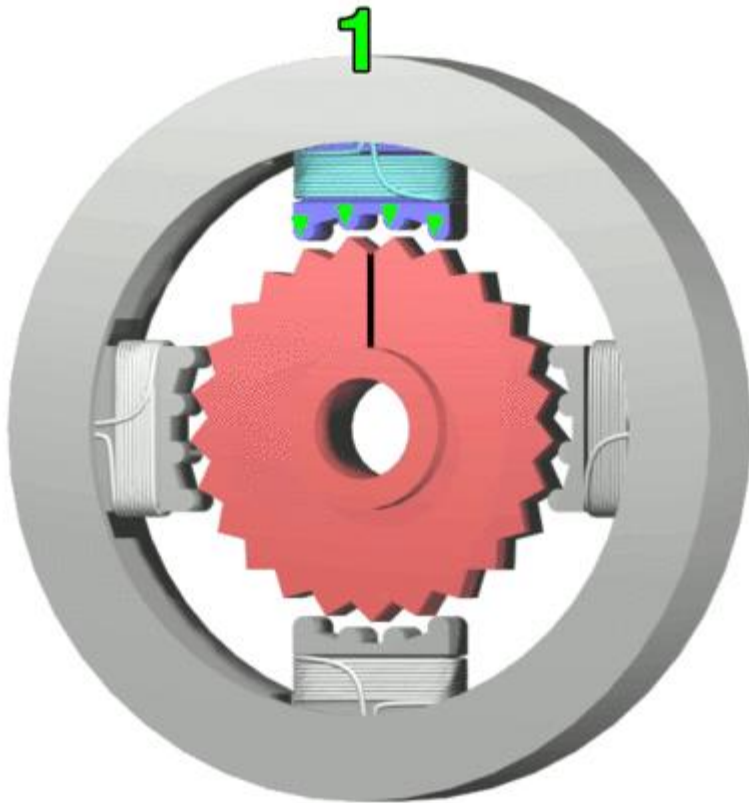
$$D_1 = \overline{(Q_1 \oplus Q_0) \oplus X}$$



Comanda unui motor pas cu pas (Stepper motor) 1²⁷



Comanda unui motor pas cu pas (Stepper motor) 2²⁸



Challenge

29

Pentru **un bonus la nota de la examen** proiectati un automat *optimal* care sa numere circular

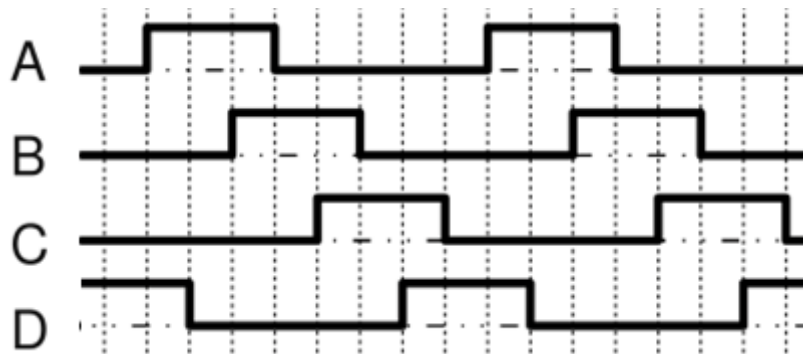
pentru $X=0$

$A=(1,1,1,0,0,0,0,0)$

$B=(0,0,1,1,1,0,0,0)$

$C=(0,0,0,0,1,1,1,0)$

$D=(1,0,0,0,0,0,1,1)$



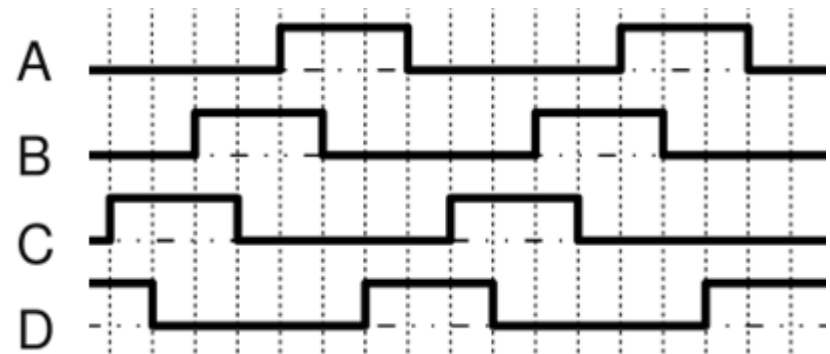
si $X=1$

$A=(0,0,0,0,0,1,1,1)$

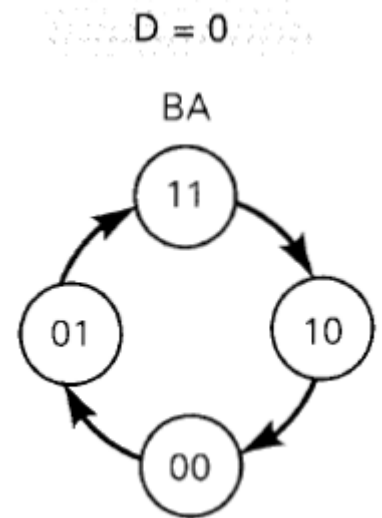
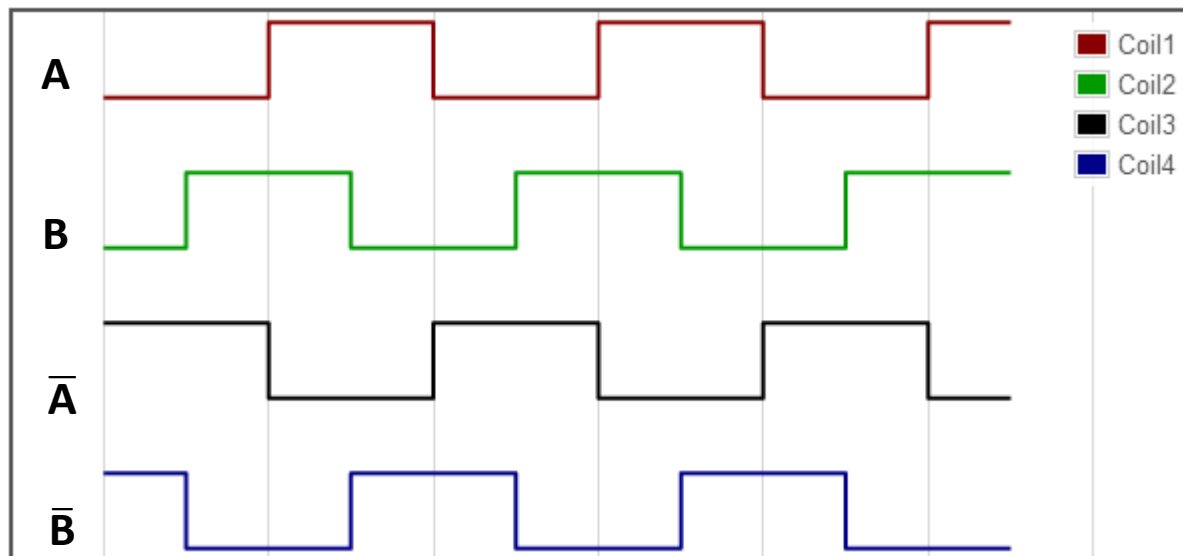
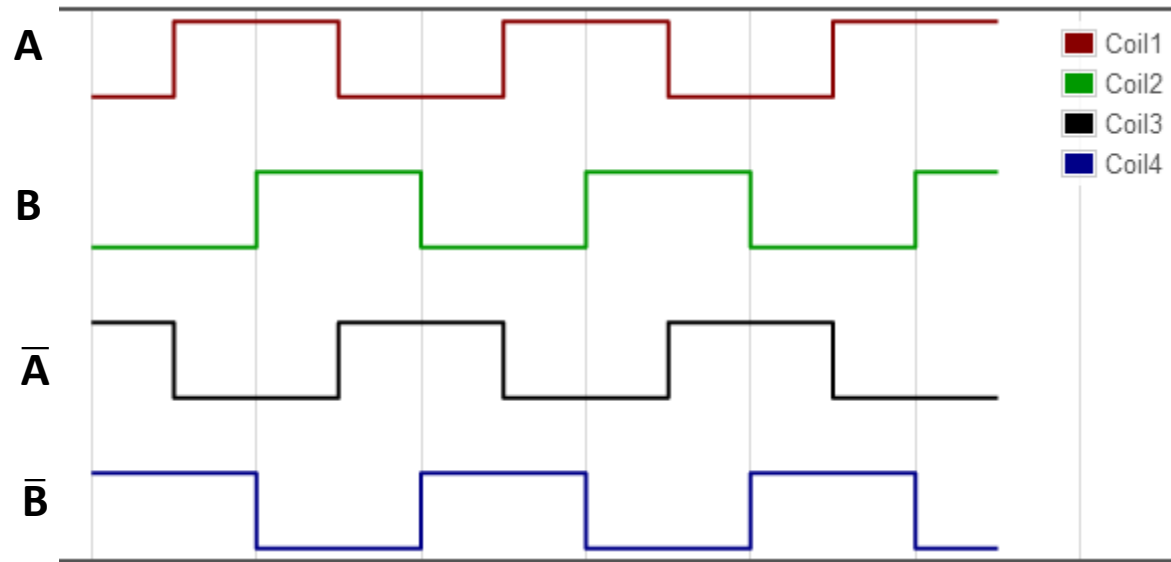
$B=(0,0,0,1,1,1,0,0)$

$C=(0,1,1,1,0,0,0,0)$

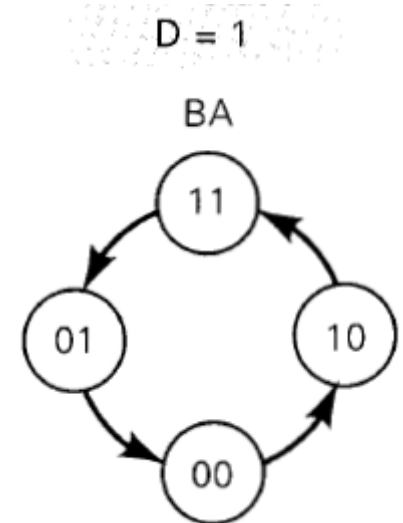
$D=(1,1,0,0,0,0,0,1)$



Comanda unui motor pas cu pas (Stepper motor) 30

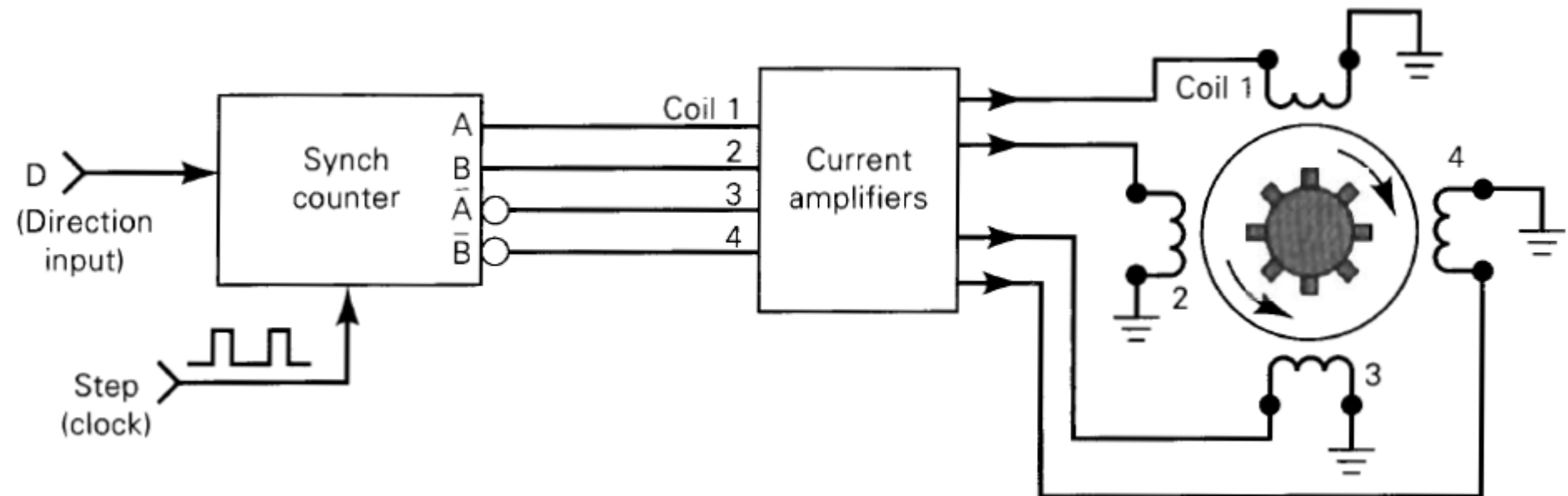
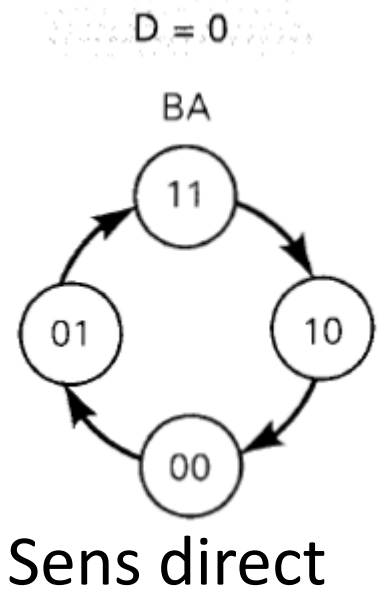
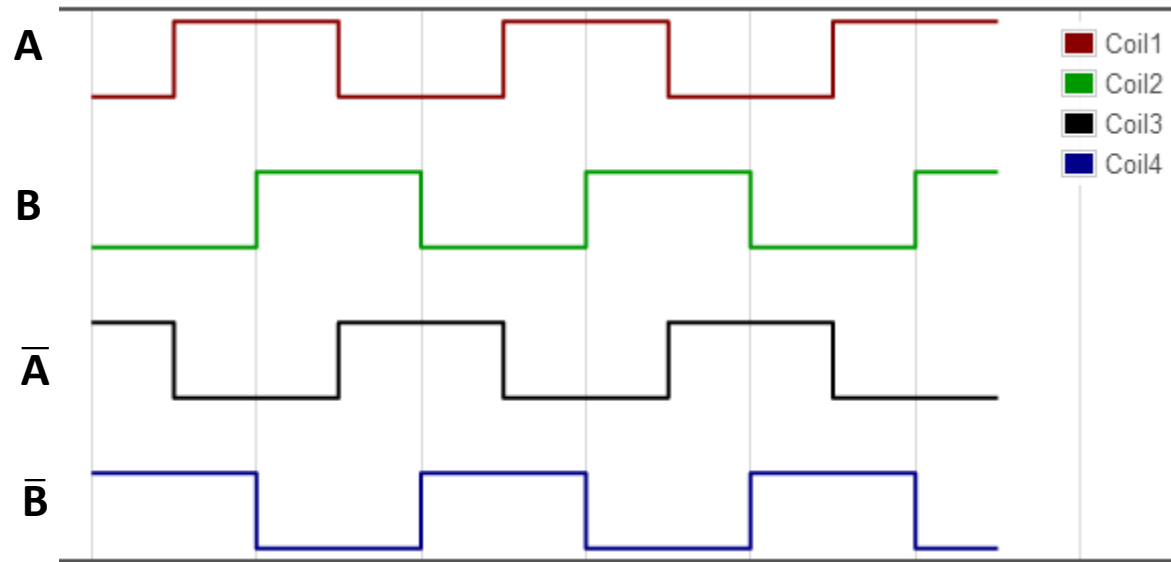


Sens direct



Sens invers

Comanda unui motor pas cu pas (Stepper motor) 4³¹

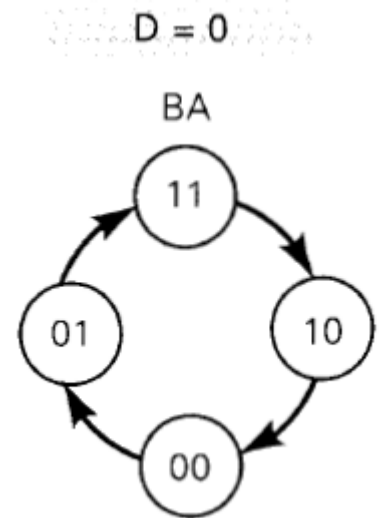


Comanda unui motor pas cu pas (Stepper motor) 5 ³²

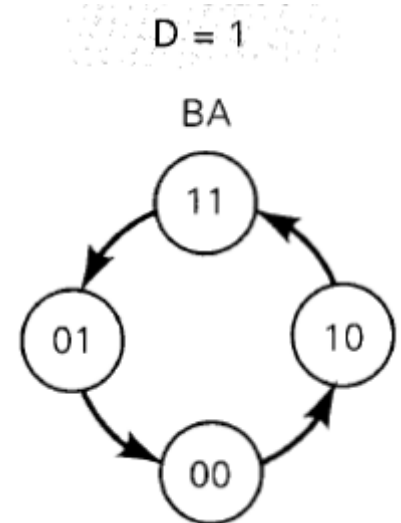
PRESENT State			NEXT State						
D	B	A	D	B	A	J_B	K_B	J_A	K_A
0	0	0	0	0	1	0	x	1	x
0	0	1	0	1	1	1	x	x	0
0	1	0	0	0	0	x	1	0	x
0	1	1	0	1	0	x	0	x	1
1	0	0	1	1	0	1	x	0	x
1	0	1	1	0	0	0	x	x	1
1	1	0	1	1	1	x	0	1	x
1	1	1	1	0	1	x	1	x	0

Excitation table

Q	Q_{next}	J	K
0	0	0	x
0	1	1	x
1	0	x	1
1	1	x	0



Sens direct



Sens invers

Comanda unui motor pas cu pas (Stepper motor) 6³³

	$\bar{D}$	D
$\bar{B}\bar{A}$	1	0
$\bar{B}A$	x	x
BA	x	x
B $\bar{A}$	0	1

$$J_A = \bar{D}\bar{B} + D\bar{B}$$
$$= \bar{D} \oplus \bar{B}$$

	$\bar{D}$	D
$\bar{B}\bar{A}$	x	x
$\bar{B}A$	0	1
BA	1	0
B $\bar{A}$	x	x

$$K_A = \bar{D}B + D\bar{B}$$
$$= D \oplus B$$

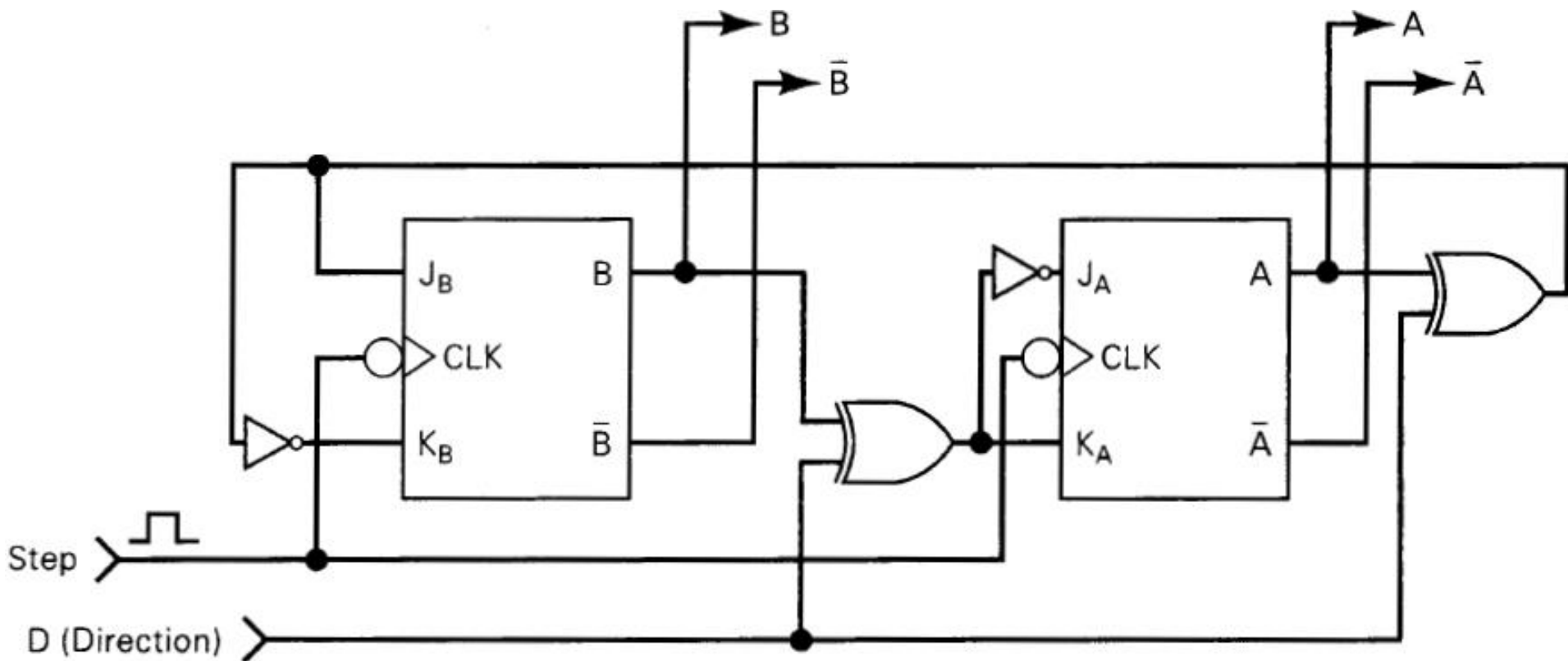
	$\bar{D}$	D
$\bar{B}\bar{A}$	0	1
$\bar{B}A$	1	0
BA	x	x
B $\bar{A}$	x	x

$$J_B = \bar{D}A + D\bar{A}$$
$$= D \oplus A$$

	$\bar{D}$	D
$\bar{B}\bar{A}$	x	x
$\bar{B}A$	x	x
BA	0	1
B $\bar{A}$	1	0

$$K_B = \bar{D}\bar{A} + D\bar{A}$$
$$= \bar{D} \oplus \bar{A}$$

Comanda unui motor pas cu pas (Stepper motor) 7 ³⁴





Multumesc pentru atentie